

# Modeling the proximate/obviative contrast in Algonquian languages

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## 1 Introduction

- Algonquian languages make a distinction between proximate-marked nouns (i.e., foregrounded) or obviative-marked nouns (i.e., backgrounded)
  - Once a proximate has been established, a speaker has a choice whether to introduce the next noun as either proximate (prominent) or obviative (nonprominent) (Goddard, 1990; Thomason, 2003).
  - Consider the following excerpt from Meskwaki, a Central Algonquian language
- (1) o'ni=na'hkači nekotenwi **mahkate'wi-anakwe'wa** e'=ši'sa'či, e'h=nesa'či *pešekesiwani*.  
And then another time **Black Rainbow (P)** went hunting and killed a *deer (O)*.
- (2) e'=wi'naniha'či, e'h=mo'hki'hta'koči *aša'hahi*, e'h=ma'ne'niči.  
As **he (P)** was butchering *it (O)*, some *Sioux (O)* rushed out at **him (P)**, a lot of *them (O)*.  
(Goddard, 1990: 324)
- In (1) the topic is Black Rainbow whereas the obviative is a deer.
  - Speaker can introduce Sioux in (2) as proximate (central characters) or as obviative (less central characters) thus, *prima facie*, maintaining the previously established central character Black Rainbow.
  - To investigate the proximate/obviative contrast, we use data from fieldwork on Mi'gmaq, an Eastern Algonquian language
  - Consider the differences between pronouns in English and obviation marking in Mi'gmaq
- (3) Susan<sub>i</sub> scratched Mali<sub>j</sub> then she<sub>i/j</sub> went home.
- she* could refer to either Susan or Mali

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Glosses abbreviations: 3 = third person; AI = animate intransitive; DIR = direct; PST = past OBV = obviative

- The same sentence in Mi'gmaq is not ambiguous

- (4) **Susan** gejgapa'l-a-pn-n *Mali-al*  
**Susan.PROX** scratch-*DIR*-PST.3-OBV *Mali-OBV*  
'**Susan (P)** scratched *Mali (O)*.'  
a. ... toqo enmie-p.  
then go.home-3.PST.PROX  
'... then **she (Susan)** went home.'  
b. ... toqo enmie-nipnn.  
then go.hom-3.PST.OBV  
'... then *she (Mali)* went home.'

- Each argument in (4) is either marked as proximate (PROX) or obviative (OBV)
- The third person agreement on the verb *enmie-* reflects this and thus there is no ambiguity as to who went home
- We model this data on the proximate/obviative contrast using Predicate Logic with Anaphora (PLA; Dekker 1994), a system that keeps track of the salience of individuals

### Roadmap

- §2 Background on obviation
- §3 Background on PLA
- §4 PLA analysis for data in (4): one-list system
- §5 Ambiguity with third individual: two-list system
- §6 Conclusion

## 2 Obviation in Algonquian languages

- Proximate and obviative are two ways to differentiate third person arguments.
  - In contexts with two third persons, the topical, foregrounded third person is proximate and the nontopical, backgrounded third person is obviative.
  - In Mi'gmaq, the proximate (**P**) is unmarked, as in (5a), and the obviative (*O*) is marked with the suffix *-l*, as in (5b).
- (5) a. e'pites  
woman  
'**woman (P)**'
- b. e'pites-l  
woman-OBV  
'*woman (O)*'

- (6) a. Gesal-a-t-l. love-**DIR**-3-OBV  
'**She (P)** loves *her (O)*.'
- b. Gesal-Ø-t-l. love-**INV**-3-OBV  
'*She (O)* loves **her (P)**.'<sup>1</sup>
- direct marker (DIR): proximate = subject, obviative = object
  - inverse marker (INV): obviative = subject, proximate = object
  - In (4a) the marking on the verb *-p* is the third person proximate past, thus the proximate argument Susan went home
  - In (4b) the marking on the verb *-nipnn*<sup>2</sup> is the third person obviative past

(4) Susan gejpgapa'l-a-pn-n *Mali-al*  
**Susan.PROX** scratch-**DIR**-PST.3-OBV *Mali*-OBV  
 'Susan scratched *Mali*.'

- a. ... toqo enmie-**p**.  
 then go.home-3.**PST.PROX**  
 '... then **she (Susan)** went home.'  
 # '... then *she (Mali)* went home.'
- b. ... toqo enmie-*nipnn*.  
 then go.home-3.**PST.OBV**  
 '... then *she (Mali)* went home.'  
 # '... then **she (Susan)** went home.'

- Proximate/obviative contrast marks salience in a discourse
- PLA: a system that keeps track of states of information and salience of individuals

### 3 Background on PLA

- Predicate Logic with Anaphora (PLA; Dekker 1994) extends standard Predicate Logic in order to keep track of individuals in a discourse

(7) A sample PLA information state

$$s = \{ \langle a, b, c \rangle \}$$

$\uparrow$     $\uparrow$     $\uparrow$   
 $p_2$     $p_1$     $p_0$

- $p_i$ :  $i$  indexes the position of the pronoun
- $\exists$ : introduces individuals to information state

(8) Susan <sub>$i$</sub>  scratched Mali <sub>$j$</sub>  then she <sub>$i/j$</sub>  went home.

(9)  $\exists x(x = s \wedge \exists y(y = m \wedge Sxy)) \wedge Wp_0$

(10)  $\exists x(x = s \wedge \exists y(y = m \wedge Sxy)) \wedge Wp_1$

<sup>1</sup>Here the inverse marker is null. However in the negative we can see that it is *-gu*:

(1) Mu gesal-gu-g-u-l  
 NEG love-**INV**-3-NEG-OBV  
 'She (O) doesn't love **her (P)**.'

(Hamilton, 2015: 20)

<sup>2</sup>For convenience, we gloss this whole morpheme as the third person past obviative. However, it can be separated out as *-ni-pn-n* or 3.OBV-PAST-OBV.

**Table 1:** Analysis of (9)

English	PLA	Pro. Interpr.	Output State
a.			$s_0 = \{ \langle \rangle \}$
b. Susan <sub><math>i</math></sub> scratched Mali <sub><math>j</math></sub>	$\exists x(x = s \wedge \exists y(y = m \wedge Sxy))$		$s_1 = \{ \langle m, s \rangle \}$
c. then she <sub><math>i</math></sub> went home.	$Wp_0$	$[p_0]_{s_1} = s$	$s_2 = \{ \langle m, s \rangle \}$

- The quantifier with narrower scope first adds  $m$  to the information state
- The quantifier with widest scope then adds  $s$  to the information state

**Table 2:** Analysis of (10)

English	PLA	Pro. Interpr.	Output State
a.			$s_0 = \{ \langle \rangle \}$
b. Susan <sub><math>i</math></sub> scratched Mali <sub><math>j</math></sub>	$\exists x(x = s \wedge \exists y(y = m \wedge Sxy))$		$s_1 = \{ \langle m, s \rangle \}$
c. then she <sub><math>j</math></sub> went home.	$Wp_1$	$[p_1]_{s_1} = m$	$s_2 = \{ \langle m, s \rangle \}$

## 4 Analysis

- In English the ambiguity of *she* is represented in PLA by different pronoun terms:  $p_0$  and  $p_1$
- Intuitively we can represent the lack of ambiguity in the Mi'gmaq data, repeated below, by uniformly translating the proximate and obviative agreement as  $p_0$  and  $p_1$ , respectively

(4) Susan gejpgapa'l-a-pn-n *Mali-al*  
**Susan.PROX** scratch-**DIR**-PST.3-OBV *Mali*-OBV  
 'Susan scratched *Mali*.'

- a. ... toqo enmie-**p**.  
 then go.home-3.**PST.PROX**  
 '... then **she (Susan)** went home.'
- b. ... toqo enmie-*nipnn*.  
 then go.home-3.**PST.OBV**  
 '... then *she (Mali)* went home.'

- PROX:  $p_0$
- DIR:  $\forall p_0 p_1$
- OBV:  $p_1$
- INV:  $\forall p_1 p_0$
- $\exists_p$ : adds to list position 0
- $\exists_o$ : adds to list position 1

(11) (4)  $\rightsquigarrow \exists_p y(y = s) \wedge \exists_o x(x = m) \wedge Sp_0 p_1$

(12) (4a)  $\rightsquigarrow Wp_0$

(13) (4b)  $\rightsquigarrow Wp_1$

**Table 3:** Analysis of (4)

Gloss	PLA	Pro. Intp.	Output State
a.			$s_0 = \{\langle \rangle\}$
b. Susan.PROX	$\exists_p y(y = s)$		$s_1 = \{\langle s \rangle\}$
c. Mali-OBV	$\exists_o x(x = m)$		$s_2 = \{\langle m, s \rangle\}$
d. scratch-DIR-PST.3-OBV	$Sp_0 p_1$	$[p_0]_{s_2} = s, [p_1]_{s_2} = m$	$s_3 = \{\langle m, s \rangle\}$

**Table 4:** Analysis of (4a)

Gloss	PLA	Pro. Intp.	Output State
e. then go.home-3.PST.PROX	$Wp_0$	$[p_0]_{s_3} = s$	$s_4 = \{\langle m, s \rangle\}$

**Table 5:** Analysis of (4b)

Gloss	PLA	Pro. Intp.	Output State
e. then go.home-3.PST.OBV	$Wp_1$	$[p_1]_{s_3} = m$	$s_4 = \{\langle m, s \rangle\}$

## 5 More complicated data

- New data: introducing a third argument creates ambiguity<sup>3</sup>

(14) Susan gejpgapa'l-a-t-l Mali-al.  
Susan.PROX scratch-DIR-3-OBV Mali-OBV

'Susan (P) scratches Mali (O).'  $\langle m, s \rangle$

a. Anna gejpgapa'l-a-t-l.  
Anna.PROX scratch-DIR-3-OBV

'Anna (P) scratches her (O).'  $\langle m, s, a \rangle$

b. Anna-l gejpgapal-Ø-t-l.  
Anna-OBV scratch-INV-3-OBV

'Anna (O) scratches her (P).'<sup>4</sup>  $\langle m, a, s \rangle$

- In (14a), when *a* is added to the end of the list, the obviative agreement,  $p_1$  is expected to pick out *s* unambiguously, which is not the case

<sup>3</sup>We use a different tense here (present) than in (4) however the ambiguity is also preserved in the past.

<sup>4</sup>The ambiguity goes away if *elg* 'too/also' is added. Though this shows that the particle *elg* targets the VP in Mi'gmaq, like it does in English.

(1) Sa'n-al elg gejpgapal-Ø-t-l.  
John-OBV too scratch-INV-3-OBV  
'John (O) scratches her (P).'  
Mali scratches John.

- Can be ameliorated if the obviative agreement is translated as any index that is not 0, so  $p_1$  or  $p_2$  can pick out the obviative argument.

- In (14b) when *a* is added in the second to last position on the list, it is not clear how we could say that either  $p_0$  or  $p_2$  can pick out the proximate argument.
- Next: how to capture this ambiguity under a **two-list system**

### 5.1 Two list system analysis

- We adapt PLA to be a two list system
- Bittner (2011) also uses a two list system in her analysis of the proximate/obviative affixes in West Greenlandic

#### (15) A sample two list information state

$$s = \{ \langle \langle a, b \rangle_{\leftarrow}, \langle c, d \rangle_{\triangleright} \rangle \}$$

$$\begin{array}{cccc} \uparrow & \uparrow & \uparrow & \uparrow \\ p_1^{\leftarrow} & p_0^{\leftarrow} & p_1^{\triangleright} & p_0^{\triangleright} \end{array}$$

- PROX:  $p_1^{\leftarrow}$
- DIR:  $Vp_1^{\leftarrow} p_1^{\triangleright}$
- OBV:  $p_1^{\triangleright}$
- INV:  $Vp_1^{\triangleright} p_1^{\leftarrow}$

### 5.2 Accounting for data in (4)

(16) (4)  $\rightsquigarrow \exists_{\leftarrow} x(x = s) \wedge \exists_{\triangleright} y(y = m) \wedge Sp_0^{\leftarrow} p_0^{\triangleright}$

(17) (4a)  $\rightsquigarrow Wp_0^{\leftarrow}$  (18) (4b)  $\rightsquigarrow Wp_0^{\triangleright}$

**Table 6:** Analysis of (4)

Gloss	PLA	Pro. Intp.	Output State
a.			$s_0 = \{\langle \langle \rangle, \langle \rangle \rangle\}$
b. Susan.PROX	$\exists_{\leftarrow} x(x = s)$		$s_1 = \{\langle \langle s \rangle_{\leftarrow}, \langle \rangle_{\triangleright} \rangle\}$
c. Mali-OBV	$\exists_{\triangleright} y(y = m)$		$s_2 = \{\langle \langle s \rangle_{\leftarrow}, \langle m \rangle_{\triangleright} \rangle\}$
d. scratch-DIR-PST.3-OBV	$Sp_0^{\leftarrow} p_0^{\triangleright}$	$[p_0^{\leftarrow}]_{s_2} = s, [p_0^{\triangleright}]_{s_2} = m$	$s_3 = \{\langle \langle s \rangle_{\leftarrow}, \langle m \rangle_{\triangleright} \rangle\}$

**Table 7:** Analysis of (4a)

Gloss	PLA	Pro. Intp.	Output State
e. then go.home-3.PST.PROX	$Wp_0^{\leftarrow}$	$[p_0^{\leftarrow}]_{s_3} = s$	$s_4 = \{\langle \langle s \rangle_{\leftarrow}, \langle m \rangle_{\triangleright} \rangle\}$

**Table 8:** Analysis of (4b)

Gloss	PLA	Pro. Intp.	Output State
e. then go.home-3.PST.OBV	$Wp_0^{\triangleright}$	$[p_0^{\triangleright}]_{s_3} = m$	$s_4 = \{\langle \langle s \rangle_{\leftarrow}, \langle m \rangle_{\triangleright} \rangle\}$

### 5.3 Accounting for data in (14)

$$(19) \quad (14) \rightsquigarrow \exists_{\blacktriangleleft} x(x = s) \wedge \exists_{\triangleright} y(y = m) \wedge Sp_0^{\blacktriangleleft} p_0^{\triangleright}$$

$$(20) \quad (14a) \rightsquigarrow \exists_{\blacktriangleleft} x(x = a) \wedge Sp_0^{\blacktriangleleft} p_0^{\triangleright} \quad (21) \quad (14b) \rightsquigarrow \exists_{\triangleright} x(x = a) \wedge Sp_0^{\blacktriangleleft} p_0^{\triangleright}$$

$$(14a) \rightsquigarrow \exists_{\blacktriangleleft} x(x = a) \wedge Sp_0^{\blacktriangleleft} p_1^{\triangleright} \quad (14b) \rightsquigarrow \exists_{\triangleright} x(x = a) \wedge Sp_0^{\blacktriangleleft} p_1^{\triangleright}$$

- Note that the index on obviative term can be 0 or 1.

**Table 9:** Analysis of (14)

Gloss	PLA	Pro. Intp.	Output State
a.			$s_0 = \{\langle \langle \rangle_{\blacktriangleleft}, \langle \rangle_{\triangleright} \rangle\}$
b. Susan.PROX	$\exists_{\blacktriangleleft} x(x = s)$		$s_1 = \{\langle \langle s \rangle_{\blacktriangleleft}, \langle \rangle_{\triangleright} \rangle\}$
c. Mali-OBV	$\exists_{\triangleright} y(y = m)$		$s_2 = \{\langle \langle s \rangle_{\blacktriangleleft}, \langle m \rangle_{\triangleright} \rangle\}$
d. scratch-DIR-PST.3-OBV	$Sp_0^{\blacktriangleleft} p_0^{\triangleright}$	$[p_0^{\blacktriangleleft}]_{s_2} = s, [p_0^{\triangleright}]_{s_2} = m$	$s_3 = \{\langle \langle s \rangle_{\blacktriangleleft}, \langle m \rangle_{\triangleright} \rangle\}$

**Table 10:** Analysis of (14a)

Gloss	PLA	Pro. Intp.	Output State
e. Anna.PROX	$\exists_{\blacktriangleleft} x(x = a)$		$s_4 = \{\langle \langle a \rangle_{\blacktriangleleft}, \langle m, s \rangle_{\triangleright} \rangle\}$
f1. scratch-DIR-3-OBV	$Sp_0^{\blacktriangleleft} p_0^{\triangleright}$	$[p_0^{\blacktriangleleft}]_{s_4} = a, [p_0^{\triangleright}]_{s_4} = s$	$s_5 = \{\langle \langle a \rangle_{\blacktriangleleft}, \langle m, s \rangle_{\triangleright} \rangle\}$
f2. scratch-DIR-3-OBV	$Sp_0^{\blacktriangleleft} p_1^{\triangleright}$	$[p_0^{\blacktriangleleft}]_{s_4} = a, [p_1^{\triangleright}]_{s_4} = m$	$s_5 = \{\langle \langle a \rangle_{\blacktriangleleft}, \langle m, s \rangle_{\triangleright} \rangle\}$

- In (c), the proximate list is added to the obviative list from input state,  $s_1$ , to form the obviative list of the output state,  $s_2$ , and  $a$  becomes the only member of the proximate list of the output state.

**Table 11:** Analysis of (14b)

Gloss	PLA	Pro. Intp.	Output State
e. Anna-OBV	$\exists_{\blacktriangleleft} x(x = a)$		$s_4 = \{\langle \langle s, m \rangle_{\blacktriangleleft}, \langle a \rangle_{\triangleright} \rangle\}$
f1. scratch-INV-3-OBV	$Sp_0^{\triangleright} p_0^{\blacktriangleleft}$	$[p_0^{\triangleright}]_{s_4} = a, [p_0^{\blacktriangleleft}]_{s_4} = m$	$s_5 = \{\langle \langle s, m \rangle_{\blacktriangleleft}, \langle a \rangle_{\triangleright} \rangle\}$
f2. scratch-INV-3-OBV	$Sp_0^{\triangleright} p_1^{\blacktriangleleft}$	$[p_0^{\triangleright}]_{s_4} = a, [p_1^{\blacktriangleleft}]_{s_4} = s$	$s_5 = \{\langle \langle s, m \rangle_{\blacktriangleleft}, \langle a \rangle_{\triangleright} \rangle\}$

- In this way the ambiguity in Mi'gmaq is represented in the same way as in English where translating the pronoun term with different indices generates the different meanings.

## 6 Conclusion

- We presented basic data on the obviative/proximate patterns on Mi'gmaq

- We discussed two PLA analyses for how to account for this data
  - One account uses Dekker's (1994) one-list system
  - The other account modifies his system to two lists to separate proximate and obviative-marked individuals
- New fieldwork on Mi'gmaq shows that an ambiguity arises when a third individual has been introduced in a discourse
- This makes the two-list system better equipped to account for the new data because it captures the ambiguity

## References

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## A Formulas

### PLA

$$(22) \quad s[\exists x\phi]_{\mathcal{M},g} = \{e' \cdot d \mid d \in D \ \& \ e' \in s[\phi]_{\mathcal{M},g[x/d]}\}$$

- (22) adds individual  $d$  to end of list  $e'$

### One List System

$$(23) \quad \text{a. } s[\exists p_x\phi]_{\mathcal{M},g} = \{e' \cdot d \mid d \in D \ \& \ e' \in s[\phi]_{\mathcal{M},g[x/d]}\}$$

$$\text{b. } s[\exists o_x\phi]_{\mathcal{M},g} = \{e' \cdot d \cdot d' \mid d \in D \ \& \ d' \in D \ \& \ e' \cdot d' \in s[\phi]_{\mathcal{M},g[x/d]}\}$$

- (23a) adds individual  $d$  to end of list  $e'$
- (23a) adds individual  $d$  to second to last position of list  $e'$

### Two List System

$$(24) \quad \text{a. } s[\exists p_x\phi]_{\mathcal{M},g} = \{\langle e, e' \rangle \mid e = \langle \rangle \cdot d \ \& \ d \in D \ \& \ e' = e'' \cdot e''' \ \& \ \langle e'', e''' \rangle \in s[\phi]_{\mathcal{M},g[x/d]}\}$$

$$\text{b. } s[\exists o_x\phi]_{\mathcal{M},g} = \{\langle e', e \rangle \mid e = \langle \rangle \cdot d \ \& \ d \in D \ \& \ e' = e'' \cdot e''' \ \& \ \langle e'', e''' \rangle \in s[\phi]_{\mathcal{M},g[x/d]}\}$$

- (24a) adds proximate list,  $e''$ , to obviative list,  $e'''$ , and adds individual  $d$  to empty proximate list
- (24b) adds obviative list,  $e'''$ , to proximate list,  $e''$ , and adds individual  $d$  to empty obviative list